

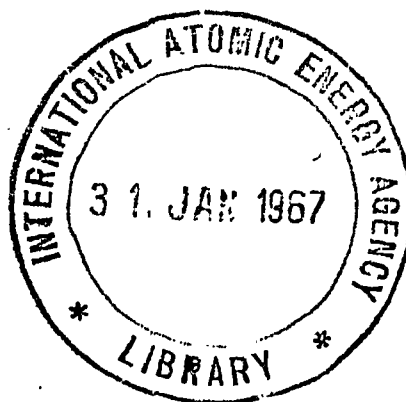


AUSTRALIAN ATOMIC ENERGY COMMISSION
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SHUTDOWN — A REACTOR SHUTDOWN OPTIMIZATION CODE

by

J. R. FREDSELL



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ABSTRACT

The Fortran IV digital computer code SHUTDOWN uses a trial and error procedure to find the optimum method of altering the reactor power before shutdown for an outage of a given desired duration. Exact optimum solutions are not found by this method but the solutions that are found can be used to improve reactor operations.

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1. INTRODUCTION

It is sometimes possible to improve the operating efficiency of a reactor that does not have complete xenon-135 override capability by appropriately varying the reactor power just before shutdown. For a reactor having low excess reactivity, outage durations are restricted by the outage xenon transient; often this directly results in a reduction in reactor efficiency. However, since the outage xenon transient is determined by the pre-shutdown power history, it is sometimes possible to vary the power in a way that will produce a more favourable outage xenon transient and a gain in reactor efficiency.

This concept is illustrated in Figure 1. Curve A is the normal abrupt shutdown power reduction and its xenon transient; curve B is a sample time-varied shutdown and its transient. With shutdown method A the startup is delayed past the desired startup time, a , to b . However, with shutdown mode B a startup can be made at a , with a saving of time ΔT . The problem is to find the power reduction mode that gives the most efficient operation.

2. THE SHUTDOWN CODE

The SHUTDOWN code determines the best method for shutting the reactor down for a given set of conditions by examining the xenon transients for all possible paths through a power-time grid super-imposed on the power history curve. The code can optimize the shutdown in four different ways for a given desired startup time τ :

- (1) It can demand startup at exactly τ , and will minimize the loss in MWd incurred during the power alterations.
- (2) It can demand startup at exactly τ , and will maximize the time spent within a given range of reactor powers.
- (3) It can require that the outage be at least τ , and will minimize loss in MWd incurred from two sources: (i) the loss during the power alterations, and (ii) the MWd loss

from any outage extension beyond τ . The first of these two contributions may be weighted.

- (4) It can require that the outage be at least τ , and will minimize the sum of two time contributions: (i) the loss in time spent while the power is outside the desired power band, and (ii) the time lost from any outage extension beyond τ . The first of these two contributions may be weighted.

The several previous attempts to develop a method for determining optimum shutdown modes were hampered by the lack of a direct analytical solution. Consequently the results were rather limited in scope. For instance, the early work described by Kirk (1953) examines only the situation where the reactor power is reduced to zero in two successive step decreases. The advent of modern high speed digital computers has provided the means for calculating optimum shutdown modes in a reasonable length of time. The first attempt to do this is discussed by Ash et al (1959). The method proposed used a dynamic programming technique to find the shutdown mode giving the minimum xenon peak after shutdown. However, aside from the fact that simple minimization of the xenon peak does not necessarily lead to the economically optimum shutdown mode, this method has proved too cumbersome for solution by present day computers. Another approach to the minimization of the xenon peak was tried by Rosztocay (1964) using Pontryagin's Maximum Principle. The power-time grid approach was used for the first time to approximate the optimum shutdown function for the NRU Reactor, (Kerr and Lennox, 1962). The grid analysis was used in the earlier part of the study to determine the general shape of the shutdown function. This treatment was mainly concerned with regulating the outage time available before the reactor was made subcritical by the rising xenon concentration.

The approach used with the SHUTDOWN code is similar to that of Kerr and Lennox in that a power-time grid is employed, but the code makes it possible to determine optimum shutdown modes for a wider variety of conditions than has been attempted before. Its main limitation is that a significant number of calculations must be done (that is, 16,777,216 different power variation functions are available with an 8 x 8 grid) if a near optimum

mode is to be found from the initial grid. Hence the code is designed to refine solutions by examination of finer grids placed in the regions of interest. Another feature is that it can solve for the shutdown method that gives the smallest peak xenon value after shutdown. This feature will be of interest as a check should the dynamic programming method proposed by Ash et al. (1959) ever be used.

3. DISCUSSION

3.1 The General Calculation Method

The calculation method employed in the SHUTDOWN code is simple; a shutdown mode is selected, its outage xenon and reactor reactivity transients are calculated, its associated losses are calculated for the desired outage time, and these losses are compared with the previous best results. This process continues until all paths through the time-power grid have been investigated. For comparison the losses associated with a "sample shutdown" mode (that is, an abrupt shutdown) are also calculated.

3.2 The Power-Time Grid

The initial power-time grid used can be fairly flexible. Up to 20 time intervals can be used, and in each of these intervals up to 20 power levels may be designated. Also, the intervals may be of varying duration, and the number of levels in each interval may vary.

3.3 The Xenon and Iodine Calculations

The equations for calculating the xenon and iodine variations through the power-time grid are fairly simple since the power is varied in steps. The xenon and iodine reactivities at the end of the k-th interval are :

$$X(k+1) = X_e(k) + \left[X(k) - X_e(k) \right] \exp \left[- DE(k) T(k) \right] + \frac{\lambda_I}{DE(k) - \lambda_I} \left\{ \left[I(k) - I_e(k) \right] \left[\exp \left(- \lambda_I T(k) \right) - \exp \left(- DE(k) T(k) \right) \right] \right\} \quad \dots\dots (1)$$

$$I(k+1) = I_e(k) + \left[I(k) - I_e(k) \right] \exp \left[- \lambda_I T(k) \right] \quad \dots\dots (2)$$

Here $X_e(k)$ and $I_e(k)$ are the equilibrium xenon and iodine reactivities for the selected power level $P(k)$ in the k -th interval :

$$X_e(k) = \frac{A P(k)}{\lambda_x + B P(k)} = \frac{A P(k)}{D E(k)} \quad \dots (3)$$

$$I_e(k) = C P(k) \quad \dots (4)$$

The above formulae can only rigorously describe the point isotopic concentration of xenon-135 in a fuel element, but it has been found in practice that, with the proper choice of the constants A, B and C, the equations can also be used to describe reactor xenon poisoning transients. These constants can be found if the xenon reactivity is known for two power levels and the effective iodine reactivity is known for one power level. Alternatively, one can use the fact that the ratio of A to C is determined by the reactor fuel composition. This ratio is a function of the fission yields of xenon-135 and iodine-135 and can be expressed as :

$$\lambda_I (r_I + r_X) / r_I$$

The value of this ratio is $2.89 \times 10^{-5} \text{ sec}^{-1}$ for Pu239 and U233 ($r_X = 0$ for these fuels) and is $3.03 \times 10^{-5} \text{ sec}^{-1}$ for U235. (See Reactor Physics Constants, ANL 5800).

3.4 Reactivity Calculation

The reactivity formulation used in the SHUTDOWN code has four portions, a constant base reactivity RB, a prompt linear power coefficient PRC, and two delayed linear power coefficients as follows :

$$R(k) = RB + PRC \left[P(k) \right] + R1(k) + R2(k) \quad \dots (5)$$

The delayed contributions are :

$$R1(k) = \left\{ D1 \left[P(k) \right] - R1(k-1) \right\} \exp \left\{ - CR1 T(k) \right\} + R1(k-1) , \quad \dots (6)$$

$$R2(k) = \left\{ D2 \left[P(k) \right] - R2(k-1) \right\} \exp \left\{ - CR2 T(k) \right\} + R2(k-1) , \quad \dots (7)$$

where D1 and D2 are the power coefficients and CR1 and CR2 are the reactivity decay constants.

An important condition employed in finding the optimum shutdown mode is that the reactor reactivity must not fall below the xenon reactivity during the time covered by the power-time grid, unless the power is zero in the time intervals adjacent to the point of calculation. This condition usually allows the elimination of a significant fraction of the possible paths through the power-time grid, unless the reactor reactivity is relatively large.

3.5 Subroutine TCALC

The subroutine TCALC is used to calculate the time intercepts of the pile reactivity and xenon transients after the reactor is finally at zero power. The near-side intercept, or rising xenon intercept is found in the following manner. First the time scale is adjusted by a time increment ΔT so that the transient starts from zero xenon (Figure 2). (This treatment for the xenon transient is similar to that of Ward (1957)).

Then the intercept is found by an iterative procedure. The first guess for the intercept is the time at which the xenon is maximum. The second iteration intercept value is found by determining the intersection (point 2) of the reactivity level and a line drawn from the origin to the peak of the xenon transient. The third guess is found in a similar manner. (See Figure 3).

The far side intercept is found by iterating on the equation of the zero initial xenon transient (See Figure 2). The equation of this curve is :

$$X = (\text{const}) (e^{-\lambda_x t} - e^{-\lambda_I t}) \quad \dots (8)$$

or as is used in the subroutine :

$$T2 = \frac{\log}{\lambda_I} \left[\frac{(\text{const})}{(\text{Reactor Reactivity})} \left\{ \exp [(\lambda_I - \lambda_x) T1] - 1.0 \right\} \right] \quad \dots (9)$$

The first guess for the far side intercept is chosen from a simplified representation of the far side of the xenon transient. (See dotted lines in Figure 4).

This approximation allows an explicit estimation of the intercept for any reactivity value.

An alternative method of solution is also included in TCALC. This method uses a read-in table of values for the equation 8 (called the universal shutdown curve by Ward, 1957). As presently used the table consists of the time values for 39 different levels of xenon reactivity. If the intercept proves to be above the 39th level ($X(t)/X_{\max} = 0.975$) or below the first level ($X(t)/X_{\max} = 0.025$) then recourse is made to the trial and error method discussed previously. Values that can be used for this table are listed in Appendix 2.

Two other features are embodied in this subroutine. First, the xenon reactivity can be reduced by a fraction, corresponding to the loss in poisoning effect with a partial discharge. Secondly, the reactor base reactivity may be changed after shutdown, corresponding to the charging or discharging of spike fuel or poison.

3.6 The Refined Grid Option

Solutions obtained from an examination of the initial power-time grid can be further refined by the SHUTDOWN code. This is accomplished by allowing the power level intervals of the original power-time grid to be subdivided in the regions adjacent to the obtained solution. The code provides for alternative power levels, one above and one below the previous solution. Their spacing is gradually lessened as the calculation proceeds, until the desired accuracy is obtained. This calculation sequence can then be followed by a sequence in which three power levels are offered, the old solution, and values above and below the old solution.

The time intervals in the original power-time grid can also be subdivided. In this case the power levels in the right hand subdivisions of the original time intervals are allowed to vary first, while the power levels in the remainder of the subintervals are held constant at the old

solution. Upon convergence the power levels are allowed to vary in the subintervals that are second from the right, and so on until all of the subintervals have been examined. This sweep through the subintervals is repeated for a designated number of times. Following completion of this operation the subintervals are again subdivided, and the process is repeated until the designated maximum number of subintervals has been examined.

3.7 Example Calculation

Appendix 3 presents the output for a determination of the optimum shutdown mode for the NRU reactor. Actually two desired startup times were examined but only one of the solutions was determined more exactly through the "refined grid" option. This startup time of 1.70 hours was also examined under the same conditions as in Kerr and Lennox (1962); a comparison of the two shutdown modes is given in Figure 5. One can observe that although the two functions shown in Figure 5 both accomplish startup at exactly 1.70 hours down, the one given by Kerr and Lennox loses 1.72 hours more in full power operating time. Thus the function determined by the shutdown code is significantly closer to the optimum.

4. CONCLUSIONS

The SHUTDOWN code can be used to approximate the optimum shutdown modes for reactors under a wide range of conditions. The principal limitation of the code is the running time required to analyse large power-time grids. This limitation is aggravated if the reactivity of the reactor is large with respect to the equilibrium xenon reactivity, or if the reactor has a large negative power coefficient. Under these conditions it becomes necessary to depend more on the "grid refining" option which redefines the grids in the regions of interest. This process may distort the solution function in relation to the actual theoretical optimum shutdown mode, but the difference should be small from a reactor operational point of view since the real problem is to improve operation of a reactor, not necessarily to find the exact shape of the optimum shutdown mode.

5. REFERENCES

Ash, M., Bellman, R. and Kalaba, R. (1959). - On control of reactor shutdown involving minimal xenon poisoning. Nuclear Science and Engineering. 6 (2) : 152-156.

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Rosztocay, A.R., and Weaver, L.E. (1964). - Optimum reactor shutdown program for minimum xenon building. Nuclear Science and Engineering. 20 : 318-323.

Ward, A.G. (1957). - A universal curve for the prediction of xenon poison after a reactor shutdown. AECL-411.

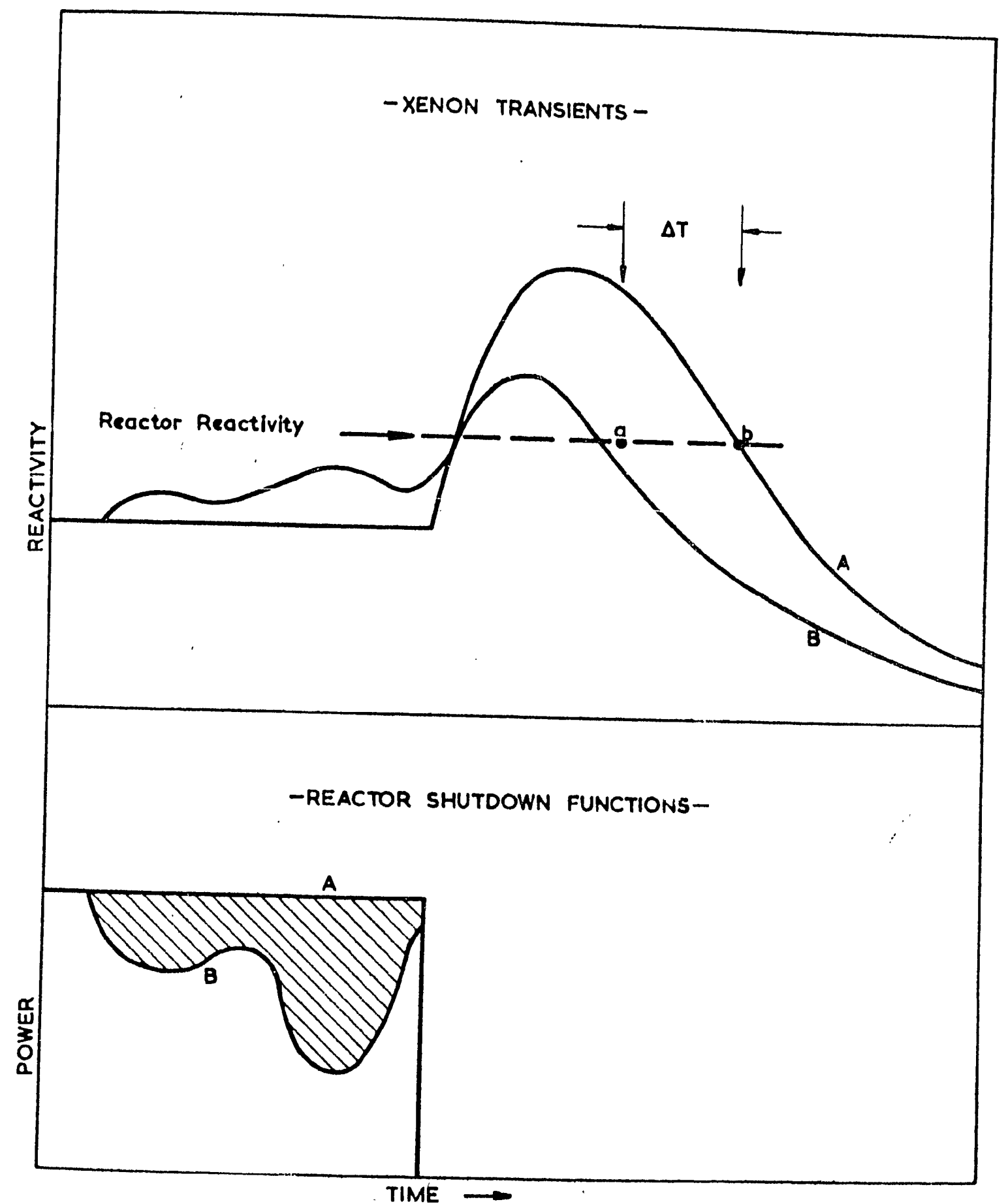


FIGURE 1 SAVINGS FROM A TIME-VARIED SHUTDOWN

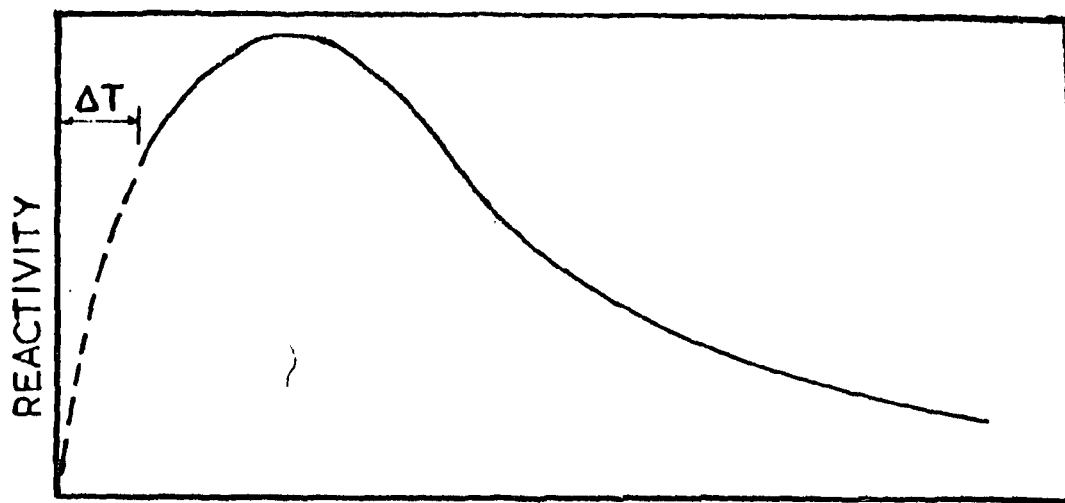


FIGURE 2 TIME SCALE ADJUSTMENT OF THE XENON TRANSIENT FOLLOWING COMPLETE SHUTDOWN

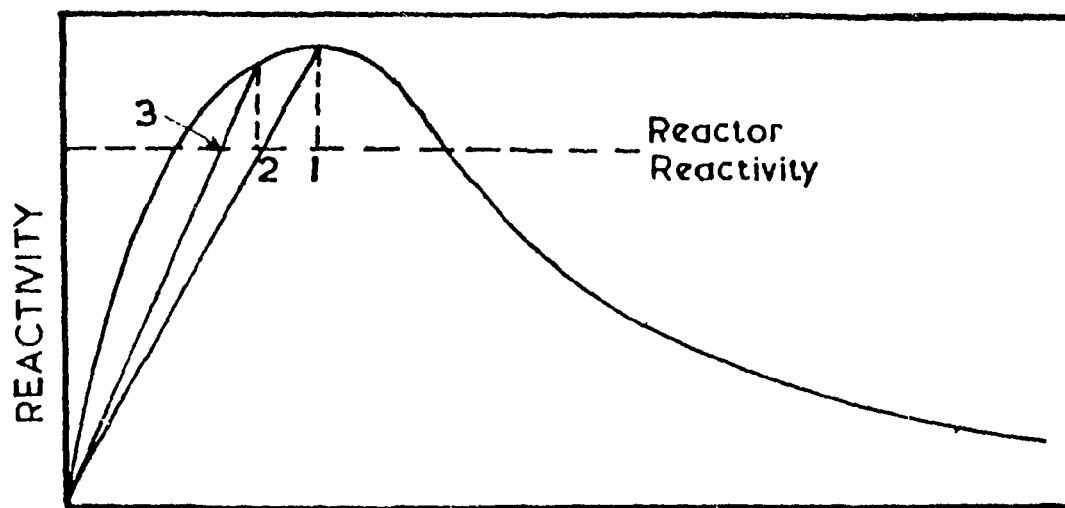


FIGURE 3 SCHEME FOR FINDING NEAR SIDE INTERCEPT OF XENON TRANSIENT

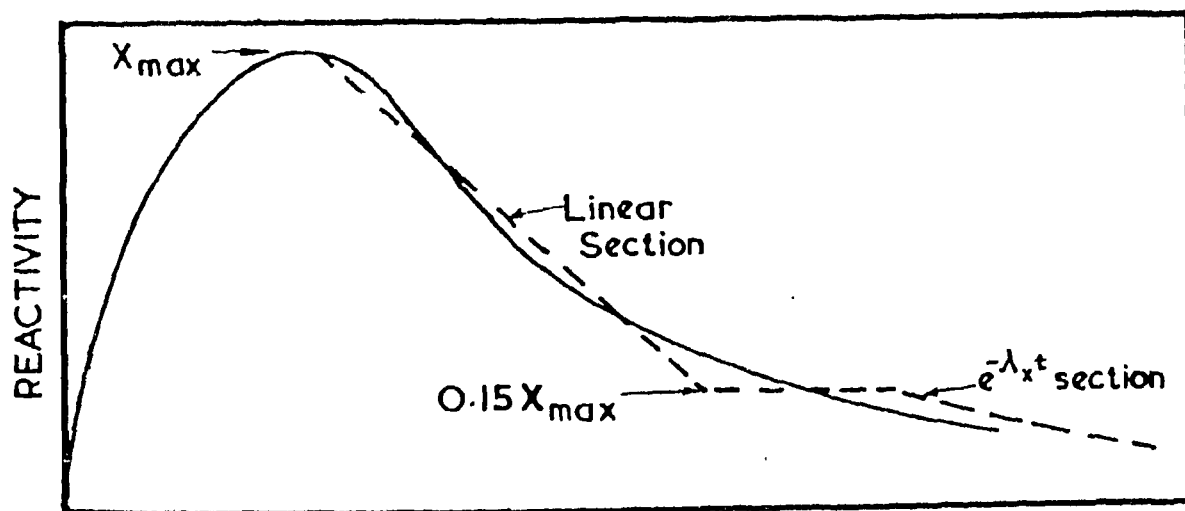


FIGURE 4 SCHEME FOR FINDING INITIAL GUESS OF FAR SIDE INTERCEPT OF XENON TRANSIENT

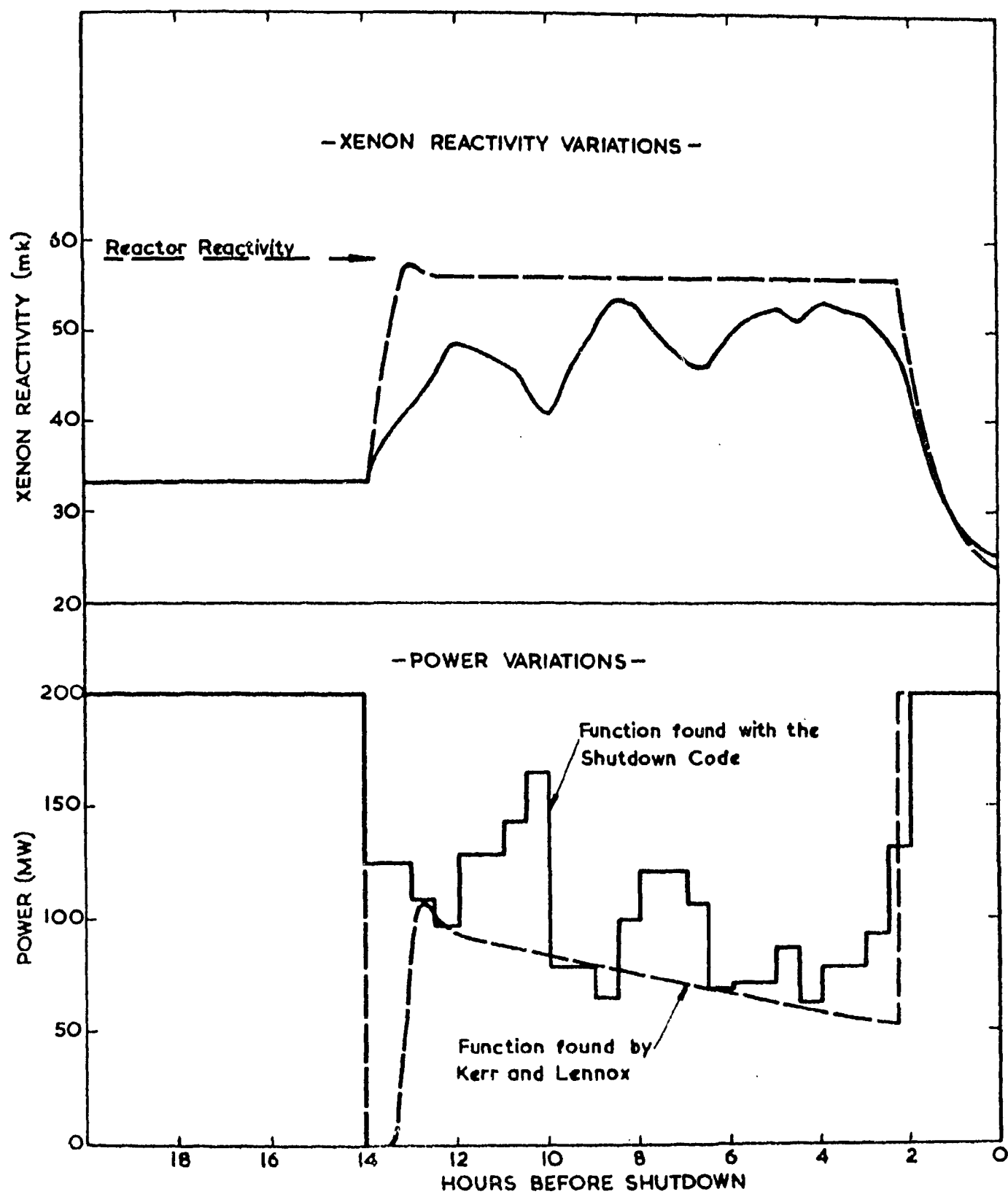


FIGURE 5 SHUTDOWN FUNCTIONS FOR NRU STARTUP AFTER
1.70 HOURS

A P P E N D I X I.

INPUT FOR SHUTDOWN

<u>Card</u>	<u>Variable Name</u>	<u>Format</u>	<u>Explanation</u>
1*	CY	10.5	The I-135 decay constant in hr^{-1} .
	CZ	10.5	The Xe-135 decay constant in hr^{-1} .
	ARE	10.5	If $\text{ARE} \leq 0$ then the universal shutdown curve will be read from the next 39 cards. ARE > 0 when no table is given.
2-40*	TSUBN(I)	10.5	The near side values of the universal shutdown curve.
	TSUBF(I)	10.5	The far side values of the universal shutdown curve.
41	NT	I2	The number of time intervals in the initial power-time grid.
	NSDD	I2	The number of desired startup times (τ 's) to be analysed.
	NOPT	I1	If NOPT = 1 then outage is at least τ . If NOPT = 2 then outage is exactly τ . If NOPT = 3 the solution will be found which gives the minimum of the maximum xenon after shutdown.
	MOPT	I1	If MOPT = 1 then optimization is on MWd. If MOPT = 2 then optimization is on the time spent with the power within a fraction (FRACT) of a given power level (WCALC).
	NHLOPT	I1	If NHLOPT ≤ 0 then the maximum power level in each time interval will be given and cards 53 and 54 must be given. If NHLOPT > 0 then the maximum power level through the grid is taken as WCALC.

* These cards are read only at the start of the Data cards.

A P P E N D I X I (continued)

<u>Card</u>	<u>Variable Name</u>	<u>Format</u>	<u>Explanation</u>
	NRITE	I1	If NRITE > 0 then full output will be printed. If NRITE ≤ 0 then full output will not be printed.
	FRACT	F4.2	See MOPT.
	WEIGHT	F4.2	This is the weight to be applied to the losses (e.g. MWd) incurred before shutdown relative to the losses after shutdown.
	NTOPT	I1	If NTOPT > 0 the tabulated universal xenon curve (see cards 2-40) will be used to calculate the times of zero net reactivity after shutdown. If NTOPT ≤ 0 then the iterative method explained in the text is used.
	KOPT	I2	The number of "Refined Grid Calculations".
	TITLE	A53	Case identification.
42	A	F10.5)	Xenon and iodine equation constants.
	B	F10.5)	
	C	F10.5)	See Equations 3 and 4 in text.
	D1	F10.5	The first delayed linear power coefficient.
	CR1	F10.5	The decay constant corresponding to D1.
	D2	F10.5	See D1.
	CR2	F10.5	See CR1.
43	PRC	F10.5	The prompt linear power coefficient.
	WCALC	F10.5	The power level used for calculating losses in the power-time grid.
	RB	F10.5	The reactor base reactivity.
	ZF1	F10.5	The fraction of xenon and iodine reactivity discharged after shutdown.

A P P E N D I X I (continued)

<u>Card</u>	<u>Variable Name</u>	<u>Format</u>	<u>Explanation</u>
	DELTAR	F10.5	The reactivity added after shutdown.
	TLIMIT	F10.5	The convergence limit for calculations of the zero net reactivity points after shutdown. (in hours, say 0.01).
44	WSD	F10.5	If WSD ≠ 0 then ZSDI, YSDI, R1I, R2I, and WLOSSI will be calculated assuming WSD is the equilibrium power level.
	ZSDI**	F10.5	The xenon at shutdown for the reference shutdown method.
	YSDI**	F10.5	The iodine at shutdown ----- etc.
	R1I**	F10.5	The value of R1 at shutdown ----- etc.
	R2I**	F10.5	The value of R2 at shutdown ----- etc.
	WLOSSI**	F10.5	The loss incurred during the power reduction for the reference shutdown method. WLOSSI = 0.0 if WSD ≠ 0.
45	WSTART	F10.5	If WSTART ≠ 0 Z(1), Y(1), R1(1), and R2(1) will be calculated assuming WSTART is the equilibrium power level.
	Z(1)	F10.5)	The initial conditions at the start of the power-time grid. These are ignored if WSTART ≠ 0.
	Y(1)	F10.5)	
	R1(1)	F1.5)	
	R2(1))	
46	N(1)-N(20)	I3	The number of power levels in each interval of the power-time grid.
47 48	SDD(1) - SDD(20)	F5.2	The startup times to be analysed (in hours)
49 50	T(1)-T(20)	F5.2	The duration of the time intervals in the power-time grid (in hours).

** These values are not used if WSD ≠ 0

A P P E N D I X I (continued)

<u>Card</u>	<u>Variable Name</u>	<u>Format</u>	<u>Explanation</u>
51 52	WLO(1) - WLO(20)	F5.2	The lowest power level in each interval in the power-time grid.
53 54	WHI(1) - WHI(20)	F5.2	The highest power level in each interval of the power-time grid. Cards 53 and 54 should not be used if NHIOPT > 0.
55	NTSPL	I2	The number of times the intervals in the power-time grid are to be split in half.
	NPSPL	I2	The number of times the spacing between the current solution power level and the alternative power levels is reduced by the factor DEM.
	NTIMES	I2	The maximum number of calculational sweeps through the subdivided time intervals before another time split is made.
	NREP	I2	$NREP \leq NPSPL$. The number of times three alternative power levels are offered (the centre one being the current solution) starting with the finest power subdivision. These calculations are made after the calculations with two alternative levels are completed.
	DEM	F4.3	The fraction by which the spacing between the current solution and the alternative power levels is diminished at each power split.
	NSUT(1) - NSUT (KOPT)	I2, 1X	The numbers of the startup times (in the order of cards 47 and 48) that are to have refined grid calculations.

A P P E N D I X 2

UNIVERSAL SHUTDOWN CURVE

Ward (1957) was the first to realise that all xenon transients following reactor shutdown follow the function

$$X(t) = e^{-\lambda_X t} - e^{-\lambda_I t}$$

Actually this function only truly describes the xenon transient starting from the condition of having zero xenon. However, by appropriate shifts in the time axis this function can be used for transients starting from non-zero xenon.

This function can be used by the subroutine TCALC in two forms:

- (1) as given by the equation, and
- (2) as given in a table.

Four sets of the tabulated values are given below. Each set corresponds to various pairs of the I - 135 and Xe - 135 decay constants that are currently in use. The tables were derived with the use of the program GARBAGE in conjunction with the subroutine TCALC. The values are accurate to ± 0.001 hr.

APPENDIX 2. (Cont'd)

$$\begin{aligned} \lambda_I &= 0.10404 \text{ hr}^{-1} \\ \lambda_X &= 0.07524 \text{ hr}^{-1} \\ (\lambda_I &= 2.89 \times 10^{-5} \text{ sec}^{-1}, \quad \lambda_X = 2.09 \times 10^{-5} \text{ sec}^{-1}) \end{aligned}$$

0.10401 75.76132
0.21001 65.98784
0.31809 60.16509
0.42831 55.96991
0.54082 52.66979
0.65570 49.93624
0.77308 47.59592
0.89310 45.54284
1.01579 43.70904
1.14143 42.04763
1.27015 40.52573
1.40211 39.11945
1.53751 37.80796
1.67642 36.57779
1.81930 35.41629
1.96631 34.31481
2.11776 33.26504
2.27396 32.26033
2.43499 31.29449
2.60169 30.36357
2.77436 29.46282
2.95350 28.58841
3.13933 27.73733
3.33316 26.90530
3.53553 26.09011
3.74694 25.28713
3.96923 24.49730
4.20301 23.71506
4.45060 22.93809
4.71327 22.16307
4.99436 21.38633
5.29623 20.60355
5.62373 19.80946
6.38240 18.15773
5.98287 18.99714
6.83520 17.27572
7.36477 16.32958
8.01484 15.27284
8.90248 13.98899

$$\begin{aligned} \lambda_I &= 0.10345 \text{ hr}^{-1} \\ \lambda_X &= 0.07534 \text{ hr}^{-1} \\ (\text{Half lives} &= 6.7 \text{ hr and } 9.2 \text{ hr}) \end{aligned}$$

0.10428 75.86292
0.21054 66.08582
0.31890 60.25978
0.42940 56.06162
0.54219 52.75881
0.65737 50.02286
0.77505 47.68025
0.89537 45.62502
1.01837 43.78919
1.14433 42.12585
1.27337 40.60203
1.40566 39.19413
1.54140 37.88122
1.68065 36.64900
1.82389 35.48596
1.97128 34.38292
2.12310 33.33162
2.27968 32.32541
2.44111 31.35860
2.60823 30.42581
2.78132 29.52364
2.96090 28.64830
3.14719 27.79529
3.34149 26.96188
3.54436 26.14544
3.75628 25.34132
3.97911 24.54984
4.21346 23.76627
4.46165 22.98794
4.72495 22.21154
5.00671 21.43338
5.30930 20.64916
5.63758 19.85358
5.99757 19.03972
6.39803 18.19868
6.85190 17.31494
7.38269 16.36691
8.03426 15.30803
8.92392 14.02150

APPENDIX 2. (Cont'd)

$$\begin{aligned} \lambda_I &= 0.10440 \text{ hr}^{-1} \\ \lambda_X &= 0.07560 \text{ hr}^{-1} \\ (\lambda_I &= 2.9 \times 10^{-5} \text{ sec}^{-1}, \quad \lambda_X = 2.1 \times 10^{-5} \text{ sec}^{-1}) \end{aligned}$$

0.10359 75.43829
0.20916 65.70827
0.31680 59.91120
0.42658 55.73440
0.53863 52.44868
0.65305 49.72705
0.76996 47.39687
0.88949 45.35266
1.01168 43.52677
1.13682 41.87258
1.26502 40.35699
1.39644 38.95692
1.53130 37.65109
1.66964 36.42571
1.81195 35.26955
1.95837 34.17276
2.10920 33.12746
2.26476 32.12652
2.42514 31.16521
2.59118 30.23824
2.76314 29.34131
2.94155 28.47060
3.12663 27.62265
3.31967 26.79474
3.52123 25.98273
3.73178 25.18490
3.95316 24.39643
4.18600 23.61723
4.43258 22.84402
4.69419 22.07221
4.97413 21.29869
5.27477 20.51917
5.60094 19.72837
5.95862 18.91944
6.35651 18.08285
6.80748 17.20518
7.33488 16.26295
7.98230 15.21061
8.86631 13.93215

$$\begin{aligned} \lambda_I &= 0.1034 \text{ hr}^{-1} \\ \lambda_X &= 0.0753 \text{ hr}^{-1} \end{aligned}$$

0.10433 75.90184
0.21065 66.11966
0.31906 60.29060
0.42962 56.09027
0.54247 52.78575
0.65770 50.04839
0.77544 47.70457
0.89582 45.64828
1.01888 43.81151
1.14491 42.14730
1.27401 40.62309
1.40637 39.21329
1.54218 37.90046
1.68150 36.66763
1.82481 35.50400
1.97227 34.40040
2.12417 33.34856
2.28083 32.34184
2.44235 31.37453
2.60955 30.44173
2.78273 29.53911
2.96240 28.66283
3.14878 27.80938
3.34318 26.97554
3.54615 26.15898
3.75818 25.35410
3.98112 24.56227
4.21559 23.77832
4.46390 22.99959
4.72734 22.22280
5.00924 21.44425
5.31199 20.65963
5.64043 19.86364
6.00060 19.04936
6.40127 18.20790
6.85536 17.32370
7.38643 16.37519
8.03833 15.31577
8.92843 14.02858

```

$IBJGB      DECK
$IBFTO GARBAG
C  GARBAGE A TIME INTERCEPT CALC
  COMMON MANYNE,MANYFA,TSUBN(40),TSUBF(40),TLIMIT,NTOPT,NOPT
  DIMENSION TNEAR(100),TFAR(100),MANF(100),MANN(100)
  1 FORMAT(12,8X,3F10.5)
  2 FORMAT(2F10.5)
  NTOPT=0
  NOPT=1
  CALL TYMIN (5HCLOCK)
50 READ(5,1)M,CY,CZ,TLIMIT
  WRITE(7,2)CY,CZ
  WRITE(6,3)CY,CZ
  TMAXI=ALOG(CY/CZ)/(CY-CZ)
  AAA=CZ*EXP(CY*TMAXI)/(CY-CZ)
  Y=AAA*(CY-CZ)/CY
  SM=M
  S=1.0/SM
  R=S
  MA=M-1
  DO 10 N=1,MA
  OCALL TCALC(Y,0.0,CY,CZ,0.0,0.0,TMAXI,AAA,R,0.0,0.0,0.0,1.0,
  1TNEAR(N),TFAR(N),NNEAR,NFAR,XMAXI)
  R=S+R
  MANN(N)=MANYNE
  MANF(N)=MANYFA
  WRITE(7,2) TNEAR(N),TFAR(N)
  WRITE(6,4)TNEAR(N),TFAR(N),MANN(N),MANF(N)
  3 FORMAT(2F10.5,20H  NNEAR  NFAR  )
  4 FORMAT(2F10.5,3X,15,5X,15)
10 CONTINUE
  CALL TYMOUT (5HCLOCK)
  GO TO 50
  END

```

APPENDIX 3.

OUTPUT FOR SHUTDOWN

Normal Output

The first page of output displays the input data; the actual output data begins on the second page. An explanation of terms is given below:

The first two lines	A statement of the type of problem solved.
NCALCS	The number of possible paths through the input grid.
NTRANS	The number of times the subroutine TCALC was used.
Ave. NNEAR and Ave. NFAR	The average number of iterations required to reach convergence in TCALC.
Initial Iodine and Xenon	The values of xenon and iodine for the reference shutdown.
TIME LOSS	The loss for the reference shutdown.
XMAXI	The maximum xenon concentration following the reference shutdown.
NFAR AND FAR INTERCEPTS	The times of zero net reactivity following the reference shutdown.
NNEARI AND NFARI	The number of iterations in TCALC for the reference shutdown solution.

The next group of data shows the losses that would be associated with each desired startup time if the reference shutdown were used. $SDD =$ Desired Startup Time. $TSUI =$ Time of Actual Startup. $SDLOSSI =$ The Losses from not being able to Startup When Desired. $SDNETI =$ "Time Loss" + "Weight" x $SDLOSSI$.

The next group of data shows the results of the shutdown optimization using the input power-time grid. The terms are explained below.

Appendix 3. (continued)

SDD	Desired startup time.
TSU	Time of startup.
WLOSS	The loss incurred by varying the power.
SDLOSS	The loss incurred after shutdown.
SDNET	WLOSS + SDLOSS
YSD, ZSD, RSD	The iodine, xenon and reactor reactivity values at zero power.
XMAX	The maximum xenon after shutdown.
TNEAR and TFAR	The times of zero net reactivity after shutdown.

Two alternative messages can be written in this section. One "Sample Shutdown is Best" shows that the reference shutdown method is better than any of the possibilities offered by the power-time grid. The other "No Shutdown Mode will Work" is possible only when NOPT = 2; that is, that a startup at exactly the time desired is demanded. In this case it is possible that no shutdown method - including the sample - will work.

The optimum power level variations are listed next. Following these are the corresponding reactor reactivity, xenon and iodine values at the end of each time interval. The last value "REJECTS" is the number of times selected shutdown modes have been rejected because of insufficient reactor reactivity.

If refined grid calculations are asked for, additional output appears. The first line reiterates the values designated in card 55. Then follows the output for each successive time split in the power-time grid. Every time an improvement in the shutdown function is found the new solution is printed out along with the corresponding values of SDNET and XMAX (the maximum xenon value after zero power is reached). The series of integers shown is the number of power options allowed in each subinterval of the power time grid. For example, the numbers 1 2 show that each time interval has been split once and that currently two power options are allowed in the right hand half of each of the original time intervals. After the calculations have been completed for each level of time split, then a print-out of the pertinent data for the current

Appendix 3. (continued)

solution is given.

Another feature of the code, and one that could be improved on, is related to the convergence limits in the subroutine TCALC. At present if 25 iterations or more are required to find zero net reactivity times after shutdown, then the corresponding path through the grid is rejected and a print-out is given of the level indices for each time interval (an index of 1 means the lowest power level is being examined, etc.). It would be an improvement to allow this limit of 25 iterations to be an input variable.

NRU AT 58MK

7 2 1 1 1 1 1.00 1.00 1 1 NRU AT 58MK

17.92000	0.50300	168.30000	-0.	-0.	-0.	-0.													
-0.	2.00000	58.00000	-0.	-0.	0.01000														
2.00000	33.14529	336.60000	-0.	-0.	0.														
2.00000	33.14529	336.60000	-0.	-0.															
5	5	5	5	5	5	5	-0	-0	-0	-0	-0	-0	-0	-0	-0	-0	-0	-0	-0
1.70000	2.00000	-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.
-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.
2.00000	2.00000	2.00000	2.00000	2.00000	2.00000	2.00000	2.00000	2.00000	2.00000	2.00000	2.00000	2.00000	-0.	-0.	-0.	-0.	-0.	-0.	-0.
-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.
-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.
-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.	-0.
2.00000	2.00000	2.00000	2.00000	2.00000	2.00000	2.00000	2.00000	2.00000	2.00000	2.00000	2.00000	2.00000	0.	0.	0.	0.	0.	0.	0.
0.	0.	0.	0.	0.	0.	0.	0.	0.	0.	0.	0.	0.	0.	0.	0.	0.	0.	0.	0.

THIS IS A MWD OPTIMIZATION

OUTAGE AT LEAST SDD PROBLEM

SAMPLE SHUTDOWN DATA

NCALCS = 78125. NTRANS = 2950. AVE. NNEAR = 1.0 AVE. NFAR = 1.0
INITIAL IODINE = 336.600 INITIAL XENON = 33.145 TIME LOSS = 0. XMAXI= 158.581
NEAR INTERCEPT = 0.832 FAR INTERCEPT = 34.995 NNEARI = 1 NFARI = 1

SDD	TSUI	SDLOSSI	SDNETI
1.700	34.995	33.295	33.295
2.000	34.995	32.995	32.995

OPTIMUM SHUTDOWN MODE RESULTS

SDD	TSU	WLOSS	SDLOSS	SDNET	YSD	ZSD	RSD	XMAX	TNEAR	TFAR
1.700	1.700	6.500	0.	6.500	226.531	25.727	58.000	108.303	1.777	28.088
2.000	25.497	8.000	23.497	31.497	179.369	57.919	58.000	104.496	0.007	25.497

OPTIMUM POWER LEVEL VARIATIONS

SDD	W1	W2	W3	W4	W5	W6	W7	W8	W9	W10
1.70	1.000	1.000	1.000	1.000	1.000	0.500	2.000	0.	0.	0.
2.00	1.000	1.000	1.000	1.000	1.000	0.500	0.500	0.	0.	0.

REACTIVITY MATRIX 1,10

1.70	58.000	58.000	58.000	58.000	58.000	58.000	58.000	0.	0.	0.
2.00	58.000	58.000	58.000	58.000	58.000	58.000	58.000	0.	0.	0.

XENON MATRIX 1,10

1.70	33.145	49.938	51.807	49.619	46.673	43.911	55.525	0.	0.	0.
2.00	33.145	49.938	51.807	49.619	46.673	43.911	55.525	0.	0.	0.

IODINE MATRIX 1,10

1.70	336.600	305.159	279.591	258.800	241.893	228.144	201.244	0.	0.	0.
2.00	336.600	305.159	279.591	258.800	241.893	228.144	201.244	0.	0.	0.

REJECTS= 2581.

REFINED GRID CALCULATIONS

NTSPL= 2 NPSPL= 4 NTIMES= 2 NREP= 1 DEM=.500 NSUT= 1

2
1.2500 1.2500 0.7500 1.2500 0.7500 0.7500 2.0000

SDNET= 6.00000 XMAX= 111.33214

2

2

2

2

3

1.2500 1.2812 0.7812 1.2187 0.7187 0.7813 2.0000

SDNET= 5.96875 XMAX= 111.49081

3

TYMOUT CALLCLOCK 0404.8

NT= 7

SDD	TSU	WLOSS	SDLOSS	SDNET	YSD	ZSD	RSD	XMAX	TNEAR	TFAR
1.700	1.700	5.969	0.	5.969	233.982	25.765	58.000	111.491	1.700	28.662

POWER LEVELS
1.2500 1.2812 0.7812 1.2187 0.7187 0.7813 2.0000

REACTIVITIES
58.0000 58.0000 58.0000 58.0000 58.0000 58.0000 58.0000

XE135 LEVELS
33.1453 44.4958 44.2974 55.0390 43.4807 51.5626 49.9745

I135 LEVELS
336.6000 313.0189 294.8258 264.3107 253.2520 228.5386 210.4071

1 2

1	2									
1.2500	1.1250	1.2812	1.4062	0.7812	0.6562	1.2187	1.0937	0.7187	0.8437	
0.7813	0.9063	2.0000	2.0000							

SDNET= 5.96875 XMAX= 111.87310

1 2

1 2

1 2

1	2									
1.2500	1.0937	1.2812	1.4375	0.7812	0.6562	1.2187	1.0625	0.7187	0.8750	
0.7813	0.9375	2.0000	2.0000							

SDNET= 5.95312 XMAX= 112.07866

1 3

2 1

2 1

2 1

2 1

3 1

1 2

1 2

1 2

1 2

1 3

2 1

2 1

2 1

2 1

3 1

TYMOUT CALLCLOCK 1120.2

NT= 14

SDD	TSU	WLOSS	SDLOSS	SDNET	YSD	ZSD	RSD	XMAX	TNEAR	TFAR
1.700	1.700	5.953	0.	5.953	235.670	25.483	58.000	112.079	1.700	28.779

POWER LEVELS
1.2500 1.0937 1.2812 1.4375 0.7812 0.6562 1.2187 1.0625 0.7187 0.8750
0.7813 0.9375 2.0000 2.0000

REACTIVITIES
58.0000 58.0000 58.0000 58.0000 58.0000 58.0000 58.0000 58.0000 58.0000 58.0000
58.0000 58.0000 58.0000 58.0000

XE135 LEVELS
33.1453 41.3213 46.8572 45.7801 42.3263 50.4777 56.9049 48.4383 46.3000 50.5252
49.2632 49.5556 46.1902 30.1859

I135 LEVELS
336.6000 324.2004 310.4357 301.1230 295.3084 279.2153 262.6365 256.9860 249.3074 236.6999

POWER LEVELS									
1.2500	1.2500								
0.6562	1.0000								
0.7813	0.7813								
REACTIVITIES									
58.0000	58.0000	1.0937	0.9687	1.2812	1.2812	1.4375	1.6562	0.7812	0.7812
58.0000	58.0000	1.2187	1.2187	1.0625	0.6875	0.7187	0.7187	0.8750	0.6250
58.0000	58.0000	0.9375	1.3125	2.0000	2.0000	2.0000	2.0000		
XE135 LEVELS									
33.1453	38.1038	41.3213	44.6948	48.0619	47.1375	46.2929	44.0914	40.6704	45.8181
49.5185	53.4868	52.3499	48.9523	46.4126	45.9580	49.1660	51.1012	52.3647	51.3416
53.1444	52.5185	51.8102	49.3468	43.6898	34.5191	29.4185	26.6762		
I135 LEVELS									
336.6000	330.2400	324.2004	317.1402	309.3757	304.6524	300.1671	297.2328	296.3014	287.9969
280.1108	271.5620	266.3591	263.2732	260.3429	256.2352	249.1544	242.6955	236.5620	232.0625
225.6697	220.9241	216.4175	213.4631	213.8375	220.0230	225.8969	231.4748		

APPENDIX 4.

SHUTDOWN CODE LISTING IN FORTRAN IV

```

$IBFTC E06SHD
COMMON MANYNE,MANYFA,TSUBN(40),TSUBF(40),TLIMIT,NTOPT,NOPT
DDIMENSION T(100),W(20,100),NP(100),Y(101),Z(101),R(101),M(20),
1YE(20,100),ZE(20,100),DE(20,100),P(101),NPSOL(100,20),SDLOSS(20),
2WLOSS(20),SDNET(20),YSD(20),ZSD(20),SDD(20),TSU(20),TNEAR(20),
3TFAR(20),WHI(100),WLO(100),TITLE( 9),WSOL(100,20),XMAX(20),
4N(100),TSUI(20),SDLOSI(20),SDNETI(20),RSD(20),R1(101),ZEM(100,20),
5REM(100,20),YEM(100,20),R2(101),NOM(100),NSUT(20),SOL(20),WR(100),
6TI(20),NOMT(20),WRT(20),WRTT(20),WLOT(20),WOLD(100),ROLD(100),
7ZOLD(100),YOLD(100)
1000 FORMAT(2I2,4I1,2F4.2,I1,I2,8A6,A5)
1001 FORMAT(7F10.5)
1002 FORMAT(20I3)
1003 FORMAT(14F5.2)
20000FORMAT(1H0,11X,2(1I2,1X),4(1I1,1X),2(1F4.2,1X),I1,1X,I2,1X,8A6,
1A5)
2001 FORMAT(1H0,10X,7F10.5)
2002 FORMAT(1H0,10X,20I5)
2003 FORMAT(1H0,10X,10F10.5/11X,10F10.5)
20040FORMAT(1H0,10X,10HTHIS IS A ,2A6,14HOPTIMIZATION, ,4A6,
19HD PROBLEM)
2005 FORMAT(1H0,10X,20HSAMPLE SHUTDOWN DATA)
20060FORMAT(1H0,10X,17HINITIAL IODINE = ,F8.3,4X,16HINITIAL XENON = ,
1F8.3,4X,12HTIME LOSS = ,F8.3,4X,6HXMAXI=,F8.3)
20070FORMAT(1H0,10X,17HNNEAR INTERCEPT = ,F8.3,4X,16HFAR INTERCEPT = ,
1F8.3,4X,9HNNNEAR I = ,I5,4X,8HNFAR I = ,I5)
2008 FORMAT(1H0,10X,29HOPTIMJMJM SHJTDOWN MODE RESULTS)
20090FORMAT(1H0,10X,102HSDD TSU WLOSS SDLOSS SDNET
1 YSD ZSD RSD XMAX TNEAR TFAR)
2010 FORMAT(1H0,6X,11(1X,F8.3,1X))
2011 FORMAT(1H0,8X,F8.3,26H SAMPLE SHUTDOWN IS BEST)
2012 FORMAT(1H0,8X,F8.3,29H NO SHJTDOWN MODE WILL WORK)
2013 FORMAT(1H0,10X,30HOPTIMUM POWER LEVEL VARIATIONS)
20140FORMAT(1H0,4X,110HSDD W1 W2 W3 W4
1 W5 W6 W7 W8 W9 W10 )
2015 FORMAT(1H0,3X,F5.2,2X,10(1X,F8.3,1X))
20160FORMAT(1H0,4X,110HSDD W11 W12 W13 W14
1 W15 W16 W17 W18 W19 W20 )
20170FORMAT(1H0,10X,9HNCALCS = ,F10.0,2X,9HNNTRANS = ,F10.0,2X,13HAVE. N
1NEAR = ,F4.1,2X,12HAVE. NFAR = ,F4.1)
2018 FORMAT(1H0,10X,39H SDD TSUI SDLOSSI SDNETI)
2019 FORMAT(1H0,11X,F8.3,3X,F8.3,3X,F8.3,3X,F8.3)
2025 FORMAT(1H0,10X,22HREACTIVITY MATRIX 1,10)
2026 FORMAT(1H0,10X,23HREACTIVITY MATRIX 10,20)
2027 FORMAT(1H0,10X,17HXENON MATRIX 1,10)
2028 FORMAT(1H0,10X,18HXENON MATRIX 10,20)
2029 FORMAT(1H0,10X,18HIODINE MATRIX 1,10)
2030 FORMAT(1H0,10X,19HIODINE MATRIX 10,20)
2031 FORMAT(1H0,10X,40HNON CONVERGENCE NEAR SIDE NP GIVEN BELOW)
2032 FORMAT(1H0,10X,39HNON CONVERGENCE FAR SIDE NP GIVEN BELOW)
2033 FORMAT(1H0,10X,20I3)
2034 FORMAT(2F10.5)
2035 FORMAT(1H0,10X,8HREJECTS=,F10.0)
2045 FORMAT(1H1,10X,8A6,A5)
2046 FORMAT (3F10.5)
C DEFINITION OF FUNCTIONS
ORXENF(YE,ZE,Y,Z,D,T,CY) = ZE +(Z-ZE)*EXP (-D*T)+
1CY*(Y-YE)*(EXP (-CY*T)-EXP (-D*T))/(D-CY)
REACF(YE,Y,CY,T)= YE+(Y-YE)*EXP (-CY*T)
CALL TYM'N(5HCLOCK)

```

```

      READ(5,2046) CY,CZ ,ARF
      IF(ARF)9001,9001,3000
9001 DO 7002 I=2,40
7002 READ(5,2034)TSUBN(I),TSUBF(I)
      TSUBN(I)=0.0
      TSUBF(I)=0.0
3000 DO 3575 I=1,20
      XMAX(I)=0.
      M(I)=0.
      SDLOSS(I)=0.
      WLOSS(I)=0.
      SDNET(I)=0.
      YSD(I)=0.
      ZSD(I)=0.
      TSU(I)=0.
      TNEAR(I)=0.
      T=AR(I)=0.
      N(I)=0
      TSU(I)=0.
      SDLOSS(I)=0.
      SDNET(I)=0.
      RSD(I)=0.
      NSUT(I)=0
      SOL(I)=0.
      DO 3576 J=1,100
      T(J)=0.
      W(I,J)=0.
      NP(J)=0
      Y(J)=0.
      Z(J)=0.
      R(J)=0.
      YE(I,J)=0
      ZE(I,J)=0.
      DE(I,J)=0.
      P(J)=0.
      NPSOL(J,I)=0
      WHI(J)=0.
      WLO(J)=0.
      WSOL(J,I)=0.
      R1(J)=0.
      R2(J)=0.
      ZEM(J,I)=0.
      REM(J,I)=0.
      YEM(J,I)=0.
      NOM(J)=0
      WR(J)=0.
3576 CONTINUE
3575 CONTINUE
      KT=0
      DEM=0.
      CALL TYMOUT(5HCLOCK)
      OREAD (5,1000)      NT,NSDD,NOPT,MOPT,NHIPT,NRITE,FRACT,
      IWEIGHT,NTOPT,KOPT,TITLE
      READ (5,1001)      A,B,C,D1,CR1,D2,CR2
      READ (5,1001)      PRC,WCALC,RB,ZF1,DELTAR,TLIMIT
      READ (5,1001)      WSD,ZSDI,YSDI,R1I,R2I,WLOSSI
      READ (5,1001)      WSTART,Z(1),Y(1),R1(1),R2(1)
      READ(5,1002)(N(I),I=1,20)
      READ(5,1003) (SDD(I),I=1,20)
      READ(5,1003) (T(I),I=1,20)

```

```

      READ(5,1003) (WLO(I),I=1,20)
      IF(NHIPT)571,571,572
571 READ(5,1003) (WHI(I),I=1,20)
C CALCULATION OF W(I,J)
572 CALCS=1.0
      WRITE(6,2045)TITLE
      REJECT=0.
      TRANS = 0.0
      IF(NOPT-2)3660,3660,3661
3661 NSDD=1
3660 DO 100 J2 = 1,NT
      NP(J2) = 0
      IF(N(J2) - 1) 101,101,102
101 W(1,J2) = WLO(J2)
      GO TO 104
102 IF(NHIPT)501,501,500
500 WHI(J2) = WCALC
501 ARG1=N(J2) - 1
      WR(J2)=(WHI(J2)-WLO(J2))/ARG1
      NJ = N(J2)
      DO 103 J3 = 1,NJ
      ARG2=J3 -1
103 W(J3,J2) = WLO(J2) + WR(J2)*ARG2
104 DC=N(J2)
      CALCS = CALCS*DC
100 CONTINUE
C SECONDARY PARAMETERS
      ZF=1.0-ZF1
      IF (WSD) 2,2,1
1 YSDI=C*WSD
      ZSDI= A*WSD/(CZ+ B * WSD)
      R1I = D1*WSD
      R2I = D2*WSD
      WLOSSI = 0.0
2 TMAXI =ALOG ( CY/CZ) / (CY-CZ)
      RSDI = RB + R1I+R2I
      AAA = CZ * EXP (CY*TMAXI) / (CY-CZ)
      OCALL TCALC(YSDI,ZSDI,CY,CZ,CR1,CR2,TMAXI,AAA,RB,R1I,R2I,DELTAR,ZF,
      ITNEARI,TFARI,NNEARI,NFARI,XMAXI)
      IF(MANYNE-25)194,194,190
194 IF(MANYFA-25)195,195,191
195 IF(WSTART)18,18,17
17 Y(1) = C*WSTART
      Z(1) = A*WSTART / (CZ + B*WSTART)
      R1(1) = D1 * WSTART
      R2(1) = D2 * WSTART
18 DO 23 I = 1, NT
      NP(I) = 1
      II = N(I)
      DO 24 J = 1, II
      YE(J,I) = C* W(J,I)
      DE(J,I) = CZ + B * W(J,I)
      ZE(J,I) = A * W(J,I) / DE(J,I)
24 CONTINUE
      DO 70 I1 = 1,NSDD
70 NPSOL(I,I1) = 0
23 CONTINUE
      R(1) = RB + R1(1)+R2(1)+PRC*WSTART
C INITIAL VALUES
      ANEAR = 0.0

```

A

B

C

D

F

G

010

011

012

013

014

019

020

022

023

024

025

026

028

029

030

031

022

```

AFAR = 0.0
ANNEAR=0.0
ANFAR=0.0
IF(KT)7510,7510,7511
7510 DO 19 IN =1,20
SDLOSS(IN)=0.0
WLOSS(IN)=0.0
SDNET(IN)=WLOSSI
YSD(IN)=YSDI
ZSD(IN)=ZSDI
RSD(IN)=RSDI
XMAX(IN)=XMAXI
TNEAR(IN)=TNEARI
TFAR(IN)=TFARI
M(IN)=1
SDLOSI(IN)=0.0
SDNETI(IN)=WLOSSI
TSU(IN)=SDD(IN)
TSU(IN)=SDD(IN)
19 CONTINUE
7511 DO 50 ND=1,NSDD
GO TO (90,91,50),NOPT
90 IF(TFARI-SDD(ND))50,50,54
54 IF(TNEARI-SDD(ND))55,50,50
55 SDLOSI(ND)=TFARI-SDD(ND)
TSU(ND)=TFARI
TSU(ND)=TFARI
SDNET(ND)=WLOSSI+TFARI-SDD(ND)
SDNETI(ND)=SDNET(ND)
GO TO 50
91 IF(TFARI-SDD(ND))50,50,97
97 IF(TNEARI-SDD(ND))93,50,50
93 SDNETI(ND)=0.0
TSU(ND)=0.0
M(ND)=2
50 CONTINUE
C CALCULATION OF ZERO POWER VALUES
W(1,NT+1) = 1.0
NP(NT+1) = 1
92 JJ = 1
41 DO 26 K = JJ,NT
NPK = NP(K)
P(K) = W(NPK,K)
NPD = NP(K+1)
P(K+1) = W(NPD,K+1)
R1(K+1) = (D1*P(K)-R1(K))*(1.0-EXP (-CR1*T(K)))+R1(K)
R2(K+1) = (D2*P(K)-R2(K))*(1.0-EXP (-CR2*T(K)))+R2(K)
Y(K+1) = REACF(YE(NPK,K), Y(K), CY, T(K))
R(K+1) = RB + PRC*P(K) + R1(K+1) + R2(K+1)
Z(K+1) = RXENF(YE(NPK,K),ZE(NPK,K),Y(K),Z(K),DE(NPK,K),T(K),CY)
IF(R(K+1) - Z(K+1))581,26,26
581 NERROR = K
IF(P(K))590,590,8099
590 IF(P(K+1))26,26,8099
8099 REJECT=REJECT+1.0
GO TO 27
26 CONTINUE
CALL TCALC(Y(NT+1),Z(NT+1),CY,CZ,CR1,CR2,TMAXI,AAA,RB,R1(NT+1),
R2(NT+1),DELTA,R,ZF,TNEA,TFA,NNEAR,NFAR,XMAXA)
IF(MANYNE - 25) 180,180,190
180 IF(MANYFA - 25)181,181,191
181 TRANS = TRANS + 1.0
EAR=NNEAR
FAR=NFAR
ANEAR = ANEAR + EAR/CALCS
AFAR = AFAR + FAR/CALCS
C CALCULATION OF WLOS, SDLOS, SDNE
WLOS = 0.0
DO 153 K1 = 1,NT
GO TO (29,150),MOPT
150 A1= FRACT*WCALC
IF (P(K1) -A1) 151,153,153
151 WLOS = WLOS + T(K1)*WEIGHT
GO TO 153
29 WLOS = WLOS + ((WCALC - P(K1))*T(K1)*WEIGHT)/WCALC
153 CONTINUE
GO TO(60,61,3501),NOPT
C CALCULATION OF WLOS, SDLOS, SDNE FOR NOPT = 1
60 DO 28 KK = 1,NSDD
31 IF (TFA - SDD(KK)) 33,33,34
33 SDLOS = 0.0
TS = SDD(KK)
GO TO 32
34 IF (TNEA - SDD(KK)) 35,36,36
36 SDLOS = 0.0
TS = SDD(KK)
GO TO 32
35 SDLOS = TFA - SDD(KK)
TS = TFA
32 SDNE = WLOS + SDLOS
IF(SDNET(KK) - SDNE) 28,28,38
38 SDNET(KK) = SDNE
WLOSS(KK) = WLOS
SDLOSS(KK) = SDLOS
TNEAR(KK) = TNEA
TFAR(KK) = TFA
YSD(KK) = Y(NT + 1)
ZSD(KK) = Z(NT + 1)
XMAX(KK)=XMAXA
RSD(KK) = RB + R1(NT+1) + R2(NT+1)
TSU(KK) = TS
M(KK) = 0
DO 99 M9= 1,NT
NPSOL(M9,KK) = NP(M9)
REM(M9,KK) = R(M9)
ZEM(M9,KK) = Z(M9)
YEM(M9,KK) = Y(M9)
99 CONTINUE
28 CONTINUE
C CHOOSE NEW NP
9000 NERROR = NT
27 DO 39 KQ = 1, NERROR
JQ = NERROR - KQ + 1
NP(JQ) = NP(JQ) + 1
IF(NP(JQ) - N(JQ)) 40,40,42
40 IF(JQ-1)600,600,601
600 JJ = 1
GO TO 602
601 JJ=JQ-1
602 NER = JQ+1

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DO 580 M5 = NER,NT
NP(M5) = 1
580 CONTINUE
GO TO 41
42 IF(JG - 1) 43,43,44
44 NP(JG) = 1
39 CONTINUE
C CALCULATION OF WLOS, SDLOS, SDNE FOR NOPT = 2
61 DO 62 JI = 1, NSDD
67 IF (TFA - SDD(JI)) 66,66,64
64 IF (TNEA - SDD(JI)) 62,65,66
66 TS = SDD(JI)
SDNE = WLOS
IF(M(JI)-1)165,165,68
165 IF(SDNET(JI)-SDNE)62,62,68
68 SDNET(JI) = SDNE
M(JI) = 0
WLOSS(JI) = WLOS
TNEAR(JI) = TNEA
TFAR(JI) = TFA
XMAX(JI) = XMAXA
YSD(JI) = Y(NT + 1)
ZSD(JI) = Z(NT + 1)
RSD(JI) = RB + R1(NT+1)+R2(NT+1)
TSU(JI) = TS
DO 69 K3 = 1,NT
NPSOL(K3,JI) = NP(K3)
REM(K3,JI) = R(K3)
ZEM(K3,JI) = Z(K3)
YEM(K3,JI) = Y(K3)
69 CONTINUE
62 CONTINUE
NERROR = NT
GO TO 27
190 WRITE (6,2031)
GO TO 192
191 WRITE (6,2032)
192 WRITE (6,2033) (NP(LJ0),L50=1,20)
GO TO 9000
C CALCULATION FOR NOPT=3
3501 IF(XMAX(1)-XMAXA)9000,9000,3504
3504 XMAX(1)=XMAXA
M(1)=0
WLOSS(1)=WLOS
TNEAR(1)=TNEA
TFAR(1)=TFA
YSD(1)=Y(NT+1)
ZSD(1)=Z(NT+1)
RSD(1)=RB+R1(NT+1)+R2(NT+1)
DO 3505 I=1,NT
NPSOL(I,1)=NP(I)
REM(I,1)=R(I)
ZEM(I,1)=Z(I)
YEM(I,1)=Y(I)
3505 CONTINUE
GO TO 9000
C SOLUTION MATRIX
43 IF(KT)210,210,211
210 DO 900 J6 = 1,NSDD
DO 901 J7 = 1,NT

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M19=NPSOL(J7,J6)
WSOL(J7,J6)=W(M19,J7)
901 CONTINUE
900 CONTINUE
ANNEAR = ANEAR*CALCS/TRANS
ANFAR = AFAR*CALCS/TRANS
WRITE (6,2000) NT,NSDD,NOPT,MOPT,NHIOPT,NRITE,FRACT,
1WEIGHT,NTOPT,KOPT,TITLE
WRITE (6,2001) A,B,C,D1,CR1,D2,CR2
WRITE (6,2001) PRC,W,CALC,RB,ZF1,DELTAR,TLIMIT
WRITE (6,2001) WSD,ZSDI,YSDI,R1I,R2I,WLOSSI
WRITE (6,2001) WSTART,Z(1),Y(1),R1(1),R2(1)
WRITE(6,2002) (N(I),I=1,20)
WRITE(6,2003) (SDD(I),I=1,20)
WRITE(6,2003) (T(I),I=1,20)
WRITE(6,2003) (WLO(I),I=1,20)
WRITE(6,2003) (WHI(I),I=1,20)
GO TO(3650,3651),MOPT
3650 WRITE(6,2049)
2049 FORMAT(1H1,10X,26HTHIS IS A M#D OPTIMIZATION)
GO TO 3652
3651 WRITE(6,2050)
2050 FORMAT(1H1,10X,49HTHIS IS A TIME ABOVE (FRACT)X(WCALC) OPTIMIZATION)
3652 GO TO (3653,3654,3655),NOPT
3653 WRITE(6,2051)
2051 FORMAT(1H0,10X,27HOUTAGE AT LEAST SDD PROBLEM)
GO TO 3656
3654 WRITE(6,2052)
2052 FORMAT(1H0,10X,30HSTARTUP AT EXACTLY SDD PROBLEM)
GO TO 3656
3655 WRITE(6,2053)
2053 FORMAT(1H0,10X,28HMINIMIZATION OF XMAX PROBLEM)
3656 WRITE (6,2005)
WRITE (6,2017) CALCS,TRANS,ANNEAR,ANFAR
WRITE (6,2006) YSDI,ZSDI,WLOSSI,XMAXI
WRITE (6,2007) TNEARI,TFARI,NNEARI,NFARI
WRITE (6,2018)
DO 555 IR = 1,NSDD
WRITE (6,2019) SDD(IR),TSUI(IR),SDLOSI(IR),SDNETI(IR)
555 CONTINUE
WRITE (6,2008)
WRITE (6,2009)
DO 5000 N16=1,NSDD
IF(M(N16)-1) 5001,5002,5003
5001WRITE (6,2010) SDD(N16),TSU(N16),WLOSS(N16),SDLOSS(N16),
1SDNET(N16),YSD(N16),ZSD(N16),RSD(N16),XMAX(N16),TNEAR(N16),TFAR(N1
26)
GO TO 5000
5002 WRITE (6,2011) SDD(N16)
GO TO 5000
5003 WRITE (6,2012) SDD(N16)
5000 CONTINUE
WRITE (6,2013)
WRITE (6,2014)
DO 5005 J8=1,NSDD
WRITE (6,2015) SDD(J8),(WSOL(J9,J8),J9=1,10)
5005 CONTINUE
IF(NT - 10)5050,5050,5051
5051 WRITE (6,2016)

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DO 5010 K8=1,NSDD
WRITE (6,2015) SDD(K8),(WSOL(K9,K8),K9=11,20)
5010 CONTINUE
5050 IF(NRITE)5016,5016,5017
5017 WRITE (6,2025)
DO 6000 L8 = 1,NSDD
WRITE (6,2015) SDD(L8),(REM(L9,L8),L9=1,10)
6000 CONTINUE
IF(INT-10)5018,5018,5019
5019 WRITE (6,2026)
DO 6001 L10= 1,NSDD
WRITE (6,2015) SDD(L10),(REM(L11,L10),L11= 10,20)
6001 CONTINUE
5018 WRITE (6,2027)
DO 6002 L12 = 1,NSDD
WRITE (6,2015) SDD(L12),(ZEM(L13,L12),L13 = 1,10)
6002 CONTINUE
IF(INT-10)5052,5052,5053
5053 WRITE (6,2028)
DO 6003 L14=1,NSDD
WRITE (6,2015) SDD(L14),(ZEM(L15,L14),L15 = 10,20)
6003 CONTINUE
5052 WRITE (6,2029)
DO 6004 L16 = 1,NSDD
WRITE (6,2015) SDD(L16),(YEM(L17,L16),L17=1,10)
6004 CONTINUE
IF(INT-10)5016,5016,5055
5055 WRITE (6,2030)
DO 6005 L18 = 1,NSDD
WRITE (6,2015) SDD(L18),(YEM(L19,L18),L19 = 10,20)
6005 CONTINUE
5016 WRITE(6,2035) REJECT
IF(KOPT)3000,3000,200
200 READ(5,2036)NTSPL,NPSPL,NTIMES,NREP,DEM,(NSUT(I),I=1,KOPT)
2036 FORMAT(4I2,F4.3,20(I2,1X))
DO 201 J=1,KOPT
IF(NSUT(J)-NSDD)201,201,202
202 WRITE(6,2037)
2037 FORMAT(1H0,10X,4THASKED FOR REFINED CALC OF FICTITIOUS SDD..IDIOT)
GO TO 3000
201 CONTINUE
WRITE(6,2048)
2048 FORMAT(1H1,10X,25HREFINED GRID CALCULATIONS)
WRITE(6,2077)NTSPL,NPSPL,NTIMES,NREP,DEM,(NSUT(I),I=1,KOPT)
2077 FORMAT(1H0,10X,6HNTSPL=,I2,2X,6HNPSP=,I2,2X,7HNTIMES=,
1I2,2X,5HNREP=,I2,2X,4HDEM=,F4.3,2X,5HNSUT=,20(I2,1X))
DO 212 I=1,20
NOMT(I)=N(I)
TI(I)=T(I)
WRT(I)=WRT(I)
WHIT(I)=WHI(I)
WLOT(I)=WLO(I)
212 SOL(I)=SDNET(I)
DAMNT=NTSPL
DAMNP=NPSPL
XMAZ=XMAX(I)
NIT=NT
KR=0
C CHOOSE SDD
234 KR=KR+1

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IF(KR-KOPT)230,230,3000
230 KT=NSUT(KR)
DO 3500 I=1,20
NOM(I)=NOMT(I)
T(I)=TI(I)
WR(I)=WRT(I)
WHI(I)=WHIT(I)
WLO(I)=WLOT(I)
WOLD(I)=WSOL(I,KT)
ROLD(I)=REM(I,KT)
ZOLD(I)=ZEM(I,KT)
YOLD(I)=YEM(I,KT)
3500 CONTINUE
AB1=TSU(KT)
AB2=WLOSS(KT)
AB3=SDLOSS(KT)
AB4=YSD(KT)
AB5=ZSD(KT)
AB6=RSO(KT)
AB7=XMAX(KT)
AB8=TNEAR(KT)
AB9=TFAR(KT)
XMAZ=XMAX(KT)
SOL(KT)=SDNET(KT)
NIT=NT
C CHOOSE TIME SPLIT
MRS=1
CTLS=-1.0
227 CTLS=CTLS+1.0
NIT=0
GO TO (237,380),MRS
380 CALL TYMOUT(5HCLOCK)
WRITE(6,2038)NT
2038 FORMAT(1H0,10X,3HNT=,I3)
WRITE(6,2009)
WRITE(6,2010)SDD(KT),AB1,AB2,AB3,SDNET(KT),AB4,AB5,AB6,AB7,AB8,AB9
WRITE(6,2039)
WRITE(6,2055)(WOLD(I),I=1,NT)
IF(NRITE)237,260,260
2039 FORMAT(1H0,10X,12HPOWER LEVELS)
260 WRITE(6,2040)
WRITE(6,2055)(ROLD(I),I=1,NT)
2040 FORMAT(1H0,10X,12HREACTIVITIES)
WRITE(6,2041)
WRITE(6,2055)(ZOLD(I),I=1,NT)
2041 FORMAT(1H0,10X,12HXE135 LEVELS)
WRITE(6,2042)
WRITE(6,2055)(YOLD(I),I=1,NT)
2042 FORMAT(1H0,10X,12H I135 LEVELS)
2055 FORMAT(10F13.4)
237 IF(CTLS-DAMNT)235,235,234
235 NDU = CTLS
MRS=2
MOD0=2*NDU
IF(NDU)238,238,239
239 DO 216 I=1,NT
J=2*(NT-I)+1
I2=NT-I+1
WOLD(J)=WOLD(I2)
ROLD(J)=ROLD(I2)

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      ZOLD(J)=ZOLD(I2)
      YOLD(J)=YOLD(I2)
      WR(J)=WR(I2)
      T(J)=T(I2)*0.5
      WHI(J)=WHI(I2)
      WLO(J)=WLO(I2)
      NOM(J)=NOM(I2)
      WR(J+1)=WR(J)
      T(J+1)=T(J)
      WOLD(J+1)=WOLD(J)
      ROLD(J+1)=ROLD(J)
      ZOLD(J+1)=ZOLD(J)
      YOLD(J+1)=YOLD(J)
      WHI(J+1)=WHI(J)
      WLO(J+1)=WLO(J)
      NOM(J+1)=NOM(J)
216  CONTINUE
238  NT=(NTI)*(NODO)
      MAN=1
C  CHOOSE TIME INTERVALS TO BE VARIED
      NDO=NODO+1
233  NDO =NDO-1
      NO=1
      IF(NDO)281,281,245
281  NTI=NTI+1
      IF(CTLS)227,227,284
284  IF(NTI-NTIMES)290,227,227
290  GO TO(227,7506),MAN
7506  NDO=NODO
245  DO 240 I = 1,NT
      N(I)=1
      W(1,I)=WOLD(I)
240  CONTINUE
C  CHOOSE POWER LEVEL SPLIT
      CPLS=0.0
250  CPLS=CPLS+1.0
2398 IF(CPLS-DAMNP)217,217,233
C  CHOOSE POWER LEVELS
217  NTOT=0
      NTO=0
      GO TO (362,371),NO
362  DO215 I=NDO,NT,NODO
      IF(NOM(I)-1)215,215,241
241  W(2,I)=WOLD(I)+WR(I)*DEM**CPLS
      W(1,I)=WOLD(I)-WR(I)*DEM**CPLS
      N(I)=2
      N(I+1)=1
      IF(W(2,I)-WHI(I))218,218,219
219  W(2,I)=WHI(I)
      NTO=NTO+1
      GO TO 215
218  IF(W(1,I)-WLO(I))222,215,215
222  W(1,I)=WLO(I)
      NTOT=NTOT+1
215  CONTINUE
      WRITE(6,2002)(N(I),I=1,NODO)
      IF(NTOT-NT)226,224,224
226  IF(NTO-NT)18,225,225
C  SAVINGS TEST
211  GO TO(3550,3550,3551),NOPT

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3551 IF(XMAX(1)-XMAZ)3552,359,359
3552 XMAZ=XMAX(1)
      GO TO 214
3550 IF(SOL(KT)-SDNET(KT))359,359,214
214  SOL(KT)=SDNET(KT)
      DO 251 I=1,NT
      NPG=NPSOL(I,KT)
      WOLD(I)=W(NPG,I)
      AB1=TSU(KT)
      AB2=WLOSS(KT)
      AB3=SDLOSS(KT)
      AB4=YSD(KT)
      AB5=ZSD(KT)
      AB6=RSD(KT)
      AB7=XMAX(KT)
      AB8=INEAR(KT)
      AB9=TFAR(KT)
      XMAZ=XMAX(KT)
      ROLD(I)=REM(I,KT)
      ZOLD(I)=ZEM(I,KT)
      YOLD(I)=YEM(I,KT)
251  CONTINUE
      MAN=2
      WRITE(6,2055)(WOLD(I),I=1,NT)
      WRITE(6,2080)SOL(KT),XMAZ
2080  FORMAT(1H0,10X,6HSDNET=,F10.5,5X,5HXMAX=,F10.5)
      GO TO 217
224  WRITE(6,2043)
2043  FORMAT(1H0,10X,21HCALC HAS BOTTOMED OUT)
      GO TO 234
225  WRITE(6,2044)
2044  FORMAT(1H0,10X,19HCALC HAS TOPPED OUT)
      GO TO 234
359  IF(CPLS-DAMNP)250,365,365
365  GO TO (352,233),NO
352  NO=2
      CPLS=NPSPL-NREP+1
      IF(NREP)233,233,371
371  DO 360 I=NDO,NT,NODO
      IF(NOM(I)-1)360,360,361
361  W(3,I)=WOLD(I)+WR(I)*DEM**CPLS
      W(2,I)=WOLD(I)
      W(1,I)=WOLD(I)-WR(I)*DEM**CPLS
      N(I)=3
      N(I+1)=1
      IF(W(3,I)-WHI(I))353,353,354
354  W(3,I)=WHI(I)
      GO TO 360
353  IF(W(1,I)-WLO(I))355,360,360
355  W(1,I)=WLO(I)
360  CONTINUE
      WRITE(6,2002)(N(I),I=1,NODO)
      GO TO 18
      END

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SIBFTC TCALC
C SUBROUTINE TCALC
  USUBROUTINE TCALC(YI,ZI,CY,CZ,C1,CR2,TMAX1,AAA,RB,R1,R2,DELTAR,ZF,
  ITNEAR,TFAR,NNEAR,NFAR,XMAX1)
  COMMON MANYNE,MANYFA,TSUBN(40),TSUBF(40),TLIMIT,NTOPT,NOPT
  MANYNE = 0
  MANYFA = 0
  NNEAR=0
  NFAR=0
  TMAX =ALOG ((CZ/CY)* (1.0+(1.0-(CZ/CY)) * (ZI/YI)))/(CZ-CY)
  DELTAT = TMAX1 - TMAX
  XMAX =(EXP (-CY*TMAX))* (CY*YI)/ CZ
  IF(TMAX)8026,8026,8027
8026 XMAX1=XMAX
  GO TO 8025
8027 XMAX1=XMAX
8025 RMAX = (RB + DELTAR + R1*EXP (-CR1*TMAX) +R2*EXP (-CR2*TMAX))/ZF
  REL = RMAX/XMAX
  GO TO (250,250,14),NOPT
250 IF(1.0-REL)3,3,4
3 TNEAR = 0.0
  TFAR = 0.0
  GO TO 14
4 IF (NTOPT)8001,8001,8022
8022 IF(REL-0.975)8000,8001,8001
8000 KMAX=REL*40.+1.0
  KM=KMAX
  ORV1=(RB+DELTAR+R1*EXP(-CR1*(TSUBN(KM)-DELTAT))+
  1R2*EXP(-CR2*(TSUBN(KM)-DELTAT)))/(ZF*XMAX)
8002ORV2=(RB+DELTAR+R1*EXP(-CR1*(TSUBN(KM+1)-DELTAT))+
  1R2*EXP(-CR2*(TSUBN(KM+1)-DELTAT)))/(ZF*XMAX)
  NNEAR=NNEAR+1
8009 V=KM
  VAL1=(V-1.0)/40.
  VAL2=V/40.
  RNET1=RV1-VAL1
  RNET2=RV2-VAL2
  IF(RNET2)8003,8004,8005
8004 TNEAR=TSUBN(KM+1)-DELTAT
  IF(TNEAR)8023,8010,8010
8023 TNEAR=0.0
  GO TO 8010
8003 IF(RNET1)8008,8007,8006
8007 TNEAR=TSUBN(KM)-DELTAT
  GO TO 8010
8006 TNEAR=TSUBN(KM)+(TSUBN(KM+1)-TSUBN(KM))*RNET1*40.-DELTAT
  GO TO 8010
8005 KM=KM+1
  RV1=RV2
  GO TO 8002
8008 KM=KM-1
  RV2=RV1
  ORV1=(RB+DELTAR+R1*EXP(-CR1*(TSUBN(KM)-DELTAT))+
  1R2*EXP(-CR2*(TSUBN(KM)-DELTAT)))/(ZF*XMAX)
  GO TO 8009
8010 IF(REL-0.025)9,9,8012
8012 KM=KMAX
  ORV1=(RB+DELTAR+R1*EXP(-CR1*(TSUBF(KM)-DELTAT))+
  1R2*EXP(-CR2*(TSUBF(KM)-DELTAT)))/(ZF*XMAX)
8013ORV2=(RB+DELTAR+R1*EXP(-CR1*(TSUBF(KM+1)-DELTAT))+

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  1R2*EXP(-CR2*(TSUBF(KM+1)-DELTAT)))/(ZF*XMAX)
  NFAR=NFAR+1
8021 V=KM
  VAL1=(V-1.0)/40.
  VAL2= V/40.
  RNET1=RV1-VAL1
  RNET2=RV2-VAL2
  IF(RNET2)8014,8015,8016
8015 TFAR=TSUBF(KM+1)-DELTAT
  GO TO 14
8014 IF(RNET1)8017,8018,8019
8018 TFAR=TSUBF(KM)-DELTAT
  IF(TFAR)8024,14,14
8024 TFAR=0.0
  GO TO 14
8019 TFAR =TSUBF(KM)+(TSUBF(KM+1)-TSUBF(KM))*RNET1*40.-DELTAT
  GO TO 14
8016 KM=KM+1
  RV1=RV2
  GO TO 8013
8017 KM=KM-1
  IF(KM-2)9,8020,8020
8020 RV2=RV1
  ORV1=(RB+DELTAR+R1*EXP(-CR1*(TSUBF(KM)-DELTAT))+
  1R2*EXP(-CR2*(TSUBF(KM)-DELTAT)))/(ZF*XMAX)
  GO TO 8021
8001 TN1 = TMAX1
  X1 = 1.0
  50TN2 = TN1*(RB+DELTAR+R1*EXP (CR1*(DELTAT-TN1))+R2*EXP (CR2*
  1(DELTAT-TN1)))/(ZF*XMAX*X1)
  X2 = AAA*(EXP (-CZ*TN2) -EXP (-CY*TN2))
  MANYNE = MANYNE + 1
  IF(MANYNE - 25) 175,175,14
175 R = ABS (TN1 - TN2)
  IF(TLIMIT-R)6,6,7
6 X1 =X2
  NNEAR = NNEAR + 1
  TN1 = TN2
  GO TO 5
7 TNEAR = TN2 + TMAX - TMAX1
  IF(TNEAR) 8,8,9
8 TNEAR = 0.0
9 RELX=(RB+DELTAR)/(ZF*XMAX)
  IF(RELX-0.15)172,170,170
172 TF1=ALOG(3.62/RELX)+11.2)/CZ
  GO TO 10
170 TF1=51.2-40.0*RELX
  100XREL = (RB+DELTAR+R1*EXP (CR1*(DELTAT-TF1))+R2*
  1EXP (CR2*(DELTAT-TF1)))/(ZF*XMAX)
  TF2 =ALOG ((AAA/XREL)*(EXP ((CY-CZ)*TF1) - 1.0))/CY
  MANYFA = MANYFA + 1
  IF(MANYFA - 25)177,177,14
177 S = ABS (TF1 - TF2)
  IF(TLIMIT-S)11,11,12
11 TF1 = TF2
  NFAR = NFAR + 1
  GO TO 10
12 TFAR = TF2 + TMAX - TMAX1
  IF(TFAR) 13,13,14
13 TFAR = 0.0
14 RETURN
END

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